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FROM: D. P. Peletier  
SUBJECT: CPME In-Flight Calibrator Design

### INTRODUCTION

The purpose of the In-Flight Calibrator is to test the Charged Particles Measurement Experiment (CPME) preamplifiers, amplifiers, discriminators and logic during ground checkout and in orbit and to quantitatively measure the effective discriminator drift. The following ground rules were established at the inception of the design:

1. A calibration failure will have essentially zero probability of effecting normal CPME operation.
2. A command will provide the capability of turning the calibrator power off.
3. Calibration data will be read out as part of the normal particle data in the CPME rate registers.
4. Weight and size will be considered premium quantities.

### Calibration Technique

Figure 1 shows a block diagram of the CPME. The part of the experiment to be calibrated consists of a telescope made up of three solid state detectors ( $D_1$ ,  $D_2$ , and  $D_3$ ) which drive three linear amplifiers (Channels A, B, and C). Each channel drives several discriminators ( $A_i$ ,  $B_i$ ,  $C_i$ ,  $i = 1, 2, 3 \dots$ ) and the "logic unit" analyzes the height of the pulse by noting which discriminators have been triggered in each channel. The logic unit sorts and directs pulse height data into rate registers

(R<sub>1</sub> thru R<sub>25</sub>) and sector registers (S<sub>1</sub> thru S<sub>4</sub>), all of which are located in the spacecraft encoder.

The in-flight calibrator tests the linear amplifiers, discriminators, and logic for channels A, B, and C by generating voltage pulses\* which drive the CPME preamplifiers thru precision 5.1 pf capacitors, simulating an energy of about 112 kev per mV. Since the calibration pulses must simulate energy depositions up to 32 Mev with 20% over-ranging to allow for discriminator level drift, the voltage pulses at the preamplifier inputs must be as large as 350 mV.

Information about discriminators A<sub>1</sub> and A<sub>5</sub> appears in sector data registers and the  $\alpha_1$  and P<sub>1</sub> data lines are subcommutated into registers R<sub>7</sub> and R<sub>4</sub> during a calibration so that A<sub>1</sub> and A<sub>5</sub> calibration data appear in rate registers. In this manner, all discriminators in channels A, B, and C are checked by information contained in rate registers and the calibrator can be operated in synchronism with the encoder clock.

Four linear voltage pulse envelopes are used during the calibration sequence and Figure 2 illustrates how these envelopes are used to determine discriminator levels. One uses the smallest ramp that triggers the discriminator of interest to maximize resolution. Then the calibration pulses are directed to those amplifier channels which satisfy the logic requirements of the logic unit. For example, the first discriminator level of channel B is obtained by using a pulse ramp with a 400 kev maximum pulse into preamplifiers B and C and observing register R<sub>14</sub> data which records all counts from the point of firing of discriminator B1 to 400 kev. At 2000 counts/ramp the pulse resolution =  $\frac{400}{2000} = 0.2$  kev/pulse and the calibration counts in R<sub>14</sub> =  $\frac{400 \text{ kev} - 250 \text{ kev}}{0.2 \text{ kev/ct}} = 750$  counts. The spacecraft encoder log compression

\* The detectors produce negative pulses and the calibrator must therefore simulate negative pulses.

error for  $R_{14}$  is 3%, and 3% of 750 cts = 22 cts. Therefore, at 0.2 kev/ct the resolution = 4.4 kev or  $\frac{4.4}{250} \times 100\% = 1.76\%$ . In some cases it is convenient to read the window between two levels and infer the position of the upper discriminator from a knowledge of the lower discriminator position (see Figure 2). The  $A_2$  discriminator is found by this method.

By selecting the proper ramp slope and driving the proper preamplifiers at the proper times, all discriminators in the telescope are tested. Figure 3 is a chart showing where the calibration data appears in the TM readout and what resolution error is introduced by the encoder log compression. Rate Registers  $R_1$  through  $R_{11}$  are 24-12 bit log-compressed (3/4% resolution) and  $R_{12}$  through  $R_{25}$  are 24-10 bit log-compressed (3% resolution). The exact discriminator settings are found with the aid of the equations of Figure 4.

## CIRCUIT DESCRIPTION

### General

Figure 5 shows a block diagram of the CPME in-flight calibrator. A linear envelope of calibration pulses is obtained by chopping a voltage ramp derived from a Miller integrator. The pulses are attenuated with  $600\Omega$  pads and directed to the preamplifier of the desired channel via diode switches. Power to the calibrator is duty-cycled using the encoder timing signals  $C_{35}$  and  $a_6$ . Figure 6 shows a schematic diagram of the calibrator and specific circuits are described below.

### Power Switching

The MOS elements  $G_9$ ,  $G_{10}$ ,  $G_{11}$  and FF2 (Figure 6) are controlled by encoder timing signals  $C_{35}$  and  $a_6$  and perform the logic necessary to turn on the series power switches ( $Q_5$  and  $Q_7$ ) for one full cycle of  $a_6$

(82 seconds in high bit rate) every 46 hours ( $C_{35}$  period), constituting a 1:2160 duty cycle.

### Ramp Generator

As long as the calibrator is powered, an 800 ms ramp is generated when  $a_3$  goes to ground (period = 10.24 seconds in high bit rate). The negative transition of  $a_3$  is inverted by  $G_4$ , differentiated and sets a control RS flip-flop ( $G_6, G_7$ ) which turns off a reset FET ( $Q_1$ ) and allows the Miller integrator (AR1) to be driven by a  $5 \mu\text{a}$  current source at node "A". The integrated current produces a ramp with a slope of about  $\frac{\Delta V}{\Delta T} = \frac{I}{C} = \frac{5 \times 10^{-6}}{2 \times 10^{-6}} = -2.5$  volts/sec. When the ramp reaches minus 2.0 volts, a level detector (AR2) resets the control R-S flip-flop and the Miller capacitor discharges until the next  $a_3$  negative transition.

When power turns on, the R-S control flip-flop may assume the wrong state, so  $G_7$  is set by an RC delay (100K, .1  $\mu\text{f}$ ) to ensure that the initial control state is "reset".

As an aid in troubleshooting on the ground, the Miller integrator may be changed into a D.C. inverting amplifier by grounding the "pulser mode" terminal. The AR1 output voltage is then set by a voltage applied at the "pulser input" terminal.

### Chopper

The chopper is a capacitor charge/discharge type in which a capacitor is charged thru  $Q_9$  during the first half of a 2.5 kHz square wave and discharged thru  $Q_{10}$  into the load during the second half of the square wave. The discharge switch ( $Q_{10}$ ) is an over-driven PNP transistor in which the base current drive is removed from the emitter without passing thru the

load.  $Q_{12}$  and  $Q_{14}$  are current mode switches which supply the drive currents for the PNP chopper.

### Attenuators

Four attenuator values; 0 db, 20 db, 30 db, and 40 db are obtained using four  $600\Omega$   $\pi$ -attenuators having values; 10 db, 10 db, 20 db, and 0 db. When 40 db attenuation is desired,  $Q_{19}$  is switched on and  $Q_{20}$ ,  $Q_{21}$ , and  $Q_{22}$  are off. When 30 db attenuation is required,  $Q_{20}$  is on and  $Q_{19}$ ,  $Q_{21}$ , and  $Q_{22}$  are off, etc. A tailor attenuator in each preamplifier provides a fine adjustment to the voltage/energy conversion.

The FET gates  $Q_{19}$  thru  $Q_{22}$  are by-passed to form an a.c. common gate switch which greatly minimizes feedthru.  $a_5$  and  $a_6$  drive MOS gates ( $G_{12}$  thru  $G_{15}$ ) which select the attenuation to conform with the table in Figure 3.

### Buffers

The calibrator output circuits utilize a hot-carrier diode (HP2302) to provide a means of switching calibration pulses into the desired channels while providing minimum feedthru to the "off" channels  $G_{16}$  thru  $G_{22}$  to give results described in the table in Figure 3.

### RAMP AND PULSE SLOPE CONSTRAINTS

The characteristics of the ramp of calibration pulses are restricted within limits imposed by the imperfect nature of the components in the calibrator. For example, the capacitance of the Miller capacitor is limited to some  $C_{MAX}$  by available volume and the minimum Miller charging current  $I_{MIN}$  is required to be much larger than circuit leakage currents and operational amplifier offset currents. Consequently, the slope of the

Miller ramp can be no smaller than

$$\left. \frac{\Delta V}{\Delta T} \right|_{\text{MIN}} = \frac{-I_{\text{MIN}}}{C_{\text{MAX}}}$$

For the components of CPME calibrator

$$\left. \frac{\Delta V}{\Delta T} \right|_{\text{MIN}} = \frac{-5 \mu\text{a}}{2 \mu\text{f}} = -2.5 \frac{\text{volts}}{\text{second}}$$

The practical limit of the ramp voltage is set by the power supply voltages available to power the Miller operational amplifier and the chopper. In the CPME the maximum practical ramp voltage is -2.0 volts. Since the slope and one non-trivial point on the ramp are defined, the entire ramp is defined.

The shape of the pulses is established by the time constants of the amplifier being calibrated. Ideally each pulse would be a step function, rising in zero time and falling with zero slope. However, the amplifier being calibrated has an integrator and at least one differentiator which permits a non-ideal step function to suffice as a calibration pulse. Since the amplifier may have two differentiators, the third differentiation introduced by the calibrator must be long enough to prevent a large double overshoot at the amplifier output which would look like a small secondary pulse. With the above points in mind the CPME calibration pulse is constrained as shown in Figure 7.

With the ramp and the pulse defined one needs only to define how many pulses per ramp are required to make the calibration counts large compared to normal data background counts. Assuming a 1 count/second background rate,\* choosing a 10:1 calibration/background count rate and remembering

\* refer to S. M. Krimigis

that the longest data accumulation time is 20 seconds, one arrives at a minimum calibration count of 200. As verified by Figure 3, about 200 calibration counts per data channel or greater will be obtained if the ramp contains 2000 pulses. In other words, a 2.5 kHz chopping rate is required. One half of the chopping period (200 ms) is available for the decay of the calibration pulse and since its differentiation time is 30 ms it will have  $6 \frac{2}{3}$  time constants to decay. Figure 8 illustrates the above discussion graphically.

Sources of Error

Sources of error which effect the pulse and ramp constraints are quantitatively listed below.

	<u>-15°C</u>	<u>+25°C</u>	<u>+40°C</u>
1. FET leakage current:	31 pa	.5 na	1.42 na

(No data is available on FET leakage vs. time)

2. Miller Capacitor leakage current:

<u>-15°C</u>	<u>+25°C</u>	<u>+40°C</u>
$\frac{2V}{200 \times 10^9 \Omega} = 10 \text{ pa}$	$\frac{2V}{50 \times 10^9 \Omega} = 40 \text{ pa}$	$\frac{2V}{20 \times 10^9 \Omega} = 100 \text{ pa}$

After the 250 hour life test (140% rated voltage and 125°C) the insulation resistance is specified to be at least 60% of its initial value.

3. Stability of the polycarbonate Miller capacitor:

<u>-15°C</u>	<u>+25°C</u>	<u>+40°C</u>
1.995 μf	2.000 μf	2.002 μf

After the 250 hour life test (140% rated voltage and 125°C) the capacitance is specified not to change more than 5%.

4. Stability of chopper frequency:  $\pm 0.2\%$  from  $-15^{\circ}\text{C}$  to  $+40^{\circ}\text{C}$ .

5. Precision voltage errors:

The zener references will be driven by that current which yields a zero voltage T.C. For the 1N750 the current is about 5 ma which corresponds to an impedance of  $40\Omega$  and a voltage of  $\sim 4.5$  volts. For a 1% change in the -6 volt line:

$$\Delta I_z = \frac{1\%(6)V}{1.5V} \times 5 \text{ ma} = \frac{60}{1.5} \times 5 = 200 \mu\text{a};$$

$$\Delta V_z = 40\Omega \times .2 \text{ ma} = 8 \text{ mV};$$

Therefore

$$V_{\text{REF}} \text{ error} = \frac{8}{4700} = \frac{1}{525} \rightarrow 0.19\%$$

6. Operational amplifier offset errors:

LM 108: From  $-15^{\circ}\text{C}$  to  $+40^{\circ}\text{C}$ :

$$\frac{\Delta V_{\text{OS}}}{\Delta T} = 15 \mu\text{V}/^{\circ}\text{C} \rightarrow \Delta V_{\text{in}} = 825 \mu\text{V} \rightarrow .0825\%$$

$$\frac{\Delta I_{\text{OS}}}{\Delta T} = 2.5 \text{ pa}/^{\circ}\text{C} \rightarrow \Delta I_{\text{in}} = 138 \text{ pa} \rightarrow 138 \text{ pa} \times 196\text{K} = 27.2 \mu\text{V} \rightarrow .0027\%$$

$\mu\text{C}$  741: From  $-55^{\circ}\text{C}$  to  $+125^{\circ}\text{C}$

$$\Delta V_{\text{OS}} = 1 \text{ mV max}$$

$$\Delta I_{\text{OS}} = 300 \text{ na} \rightarrow .3 \times 10^{-6} \times 5.5\text{K} = 1.65 \text{ mV}$$

Therefore the  $\Delta V_{\text{OS}}$  and  $\Delta I_{\text{OS}}$  errors =  $2.65 \text{ mV} = 0.133\%$



7. Attenuator and chopper drive impedance:

The lowest available "on" resistance FET (2N4856A) was chosen ( $R_{DS\ on} = 25\Omega$ ) and the series chopper PNP  $R_{on} = 5\Omega$ . Therefore, the drive impedance to the attenuator is  $30\Omega$  and since the T.C. is about  $0.7\%/^{\circ}C$ :

	<u><math>-15^{\circ}C</math></u>	<u><math>+25^{\circ}C</math></u>	<u><math>+40^{\circ}C</math></u>
Drive Resistance =	22.6 $\Omega$	30 $\Omega$	34.8 $\Omega$
Attenuation Error	+2.3%	0%	-1.02%

Since this is a difficult place to temperature compensate and because the error is predictable and can be programmed out, this error will be left as is.

8. Buffer attenuation error:

$r_{diode} = 50\Omega$  and will drive about  $3K$  in the preamplifier.

$$\Delta r_e = 50 \frac{55}{295} = 5.5\Omega \text{ from } -15^{\circ}C \text{ to } +40^{\circ}C$$

$$\approx 0.2\% \text{ attenuation drive error from } -15^{\circ}C \text{ to } +40^{\circ}C.$$

9. Non-linearity due to PNP chopper  $V_{os}$  ( $\cong 25\text{ mV}$ ):

Pulse amplitude =  $V_{in} - 25\text{ mV}$  0.1% non-linearity (but has no effect on pulse ramp slope).

10. Chopper feed-thru spikes are about 20 mV peak over the temperature range from  $-15^{\circ}C$  to  $+40^{\circ}C$ . Note that  $20\text{ mV} \cong 1.5\%$  of full scale.

From the above data one concludes that the most significant errors are due to: The change of Miller feedback capacitance with age, which experience has shown to be small if a polycarbonate or a polystyrene dielectric

is used; chopper frequency temperature drift ( $\pm 0.2\%$ ); change of chopper drive impedance with temperature which is large but well defined; and chopper feedthru spikes which are about  $1\%$  of full scale.

#### OVERALL PERFORMANCE

Pictures of the calibration pulses at the input to the attenuators are shown in Figure 9. The pulse leading edge is about 30 ns from  $10\%$  to  $90\%$  and the trailing edge time constant is about 35  $\mu$ s. Feedthru spikes which occur midway between the pulses are less than  $1\frac{1}{2}\%$  of full scale and between  $-60^{\circ}\text{C}$  and  $+70^{\circ}\text{C}$ . Over this  $130^{\circ}\text{C}$  temperature range the pulse rise time remained constant and the pulse amplitude changed by  $6\%$ , which is caused by the chopper and attenuator FET impedance variation with temperature. The feedthru spikes depend on power supply voltage tracking in a 1:1 manner. That is, the power supply can vary  $10\%$  around nominal without effecting the chopper spiking problem provided the percent change in the  $+8\text{V}$  and  $-6\text{V}$  lines is the same. However, if the power supply deviates such that one of the  $+8\text{V}$  or  $-6\text{V}$  lines do not change while the other changes by  $1\%$ , then a spike of  $1\%$  of full scale will appear between calibration pulses.

The linearity of the pulse envelope was checked on a pulse height analyzer which divides the pulse ramp into equal segments and records how many pulses occur in each segment. Over the temperature range from  $-50^{\circ}\text{C}$  to  $+65^{\circ}\text{C}$  the segments recorded equal pulse counts within  $1\%$  which is within the accuracy of the analyzer.

#### CALIBRATOR SET-UP AND USE

Several steps are required in the set-up of the calibrator. First the two zener diodes used to regulate the  $+1.00\text{V}$  and  $-2.00\text{V}$  references must be temperature-cycled to determine the zener bias current which yields a

zero drift with temperature. The zener bias resistors must then be tailored to the proper bias currents to each diode as shown in Figure 6.

Next the chopper base and emitter currents are balanced by adjusting the  $200\Omega$  potentiometer (Figure 6) until the voltage discontinuity between calibration pulses becomes less than 2.0 mV. The leading edge may be adjusted if necessary by tailoring any or all of the chopper tailor capacitors to obtain the desired result.

One may find it convenient to check the attenuator by grounding the "Pulser Mode" input and "Pulser Input". The  $a_5$  and  $a_6$  encoder signals may then be simulated and the attenuation checked against the timing waveforms in Figure 6. N.B., each channel must be loaded with exactly  $6.00\text{ K}\Omega$  to provide the required  $600\Omega$  load to the attenuators.

Once the calibrator is functioning properly at room temperature, a test is run to obtain a plot of pulse amplitude vs. temperature for the required range of operation ( $-15^{\circ}\text{C}$  to  $+40^{\circ}\text{C}$ ). The "Pulser Mode" is most suitable for this test and the 10:1 attenuation is selected arbitrarily. The amplitude plot is used to obtain  $f(T)$  for the equations of Figure 4 which are used to determine the discriminator settings.

Next the calibrator is integrated with the SPME and the preamplifier resistors are selected to yield a 4.00 Mev pulse at the top of the pulse ramp in the 10:1 attenuation mode. A convenient method of doing this is to set the discriminators for channels A, B, and C at 4.00 Mev using a laboratory standard pulser. Then run the calibrator and adjust the preamplifier calibration attenuation resistors to obtain an average of 0.5 cts from the discriminators.

Finally, take a set of calibration data and compare the results to the results listed in Figure 3 under "Nominal Calibration Counts". These

may be inconsistent by a few counts and  $D_1$  is then selected as a correction factor to make the equations of Figure 4 give the exact results listed in Figure 3. This step is not necessary for proper calibrator operation but it gives one the data necessary to program a computer to calculate the discriminator settings and provides a consistent method for checking the discriminators of any CPME unit.

### INTERFACES

A wiring diagram showing connections to the calibrator is shown in Figure 10. Particular care will be taken to keep signal grounds and power grounds separate. The calibration pulse outputs will be grounded at the preamplifiers only.

Power Consumption	=	<u>214 nW</u> stby;	<u>240 mW</u> peak;	<u>121 uW</u> average.
+8V	→	21 nA stby;	18 mA peak;	72 uW average.
-6V	→	0 nA stby;	16 mA peak;	48 uW average.
-23V	→	2 nA stby;	90 uA peak;	1 uW average.

#### Timing Signal Requirements:

- $a_3, a_3$  override
- $a_4, a_4$  override
- $a_5, a_5$  override
- $a_6, a_6$  override
- $C_{35}, C_{35}$  override

Extra Test Connector Pins:

- (a) "Pulser mode on"
- (b) "Pulser input amplitude"
- (c) "Pulser return"



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DPP:jgs

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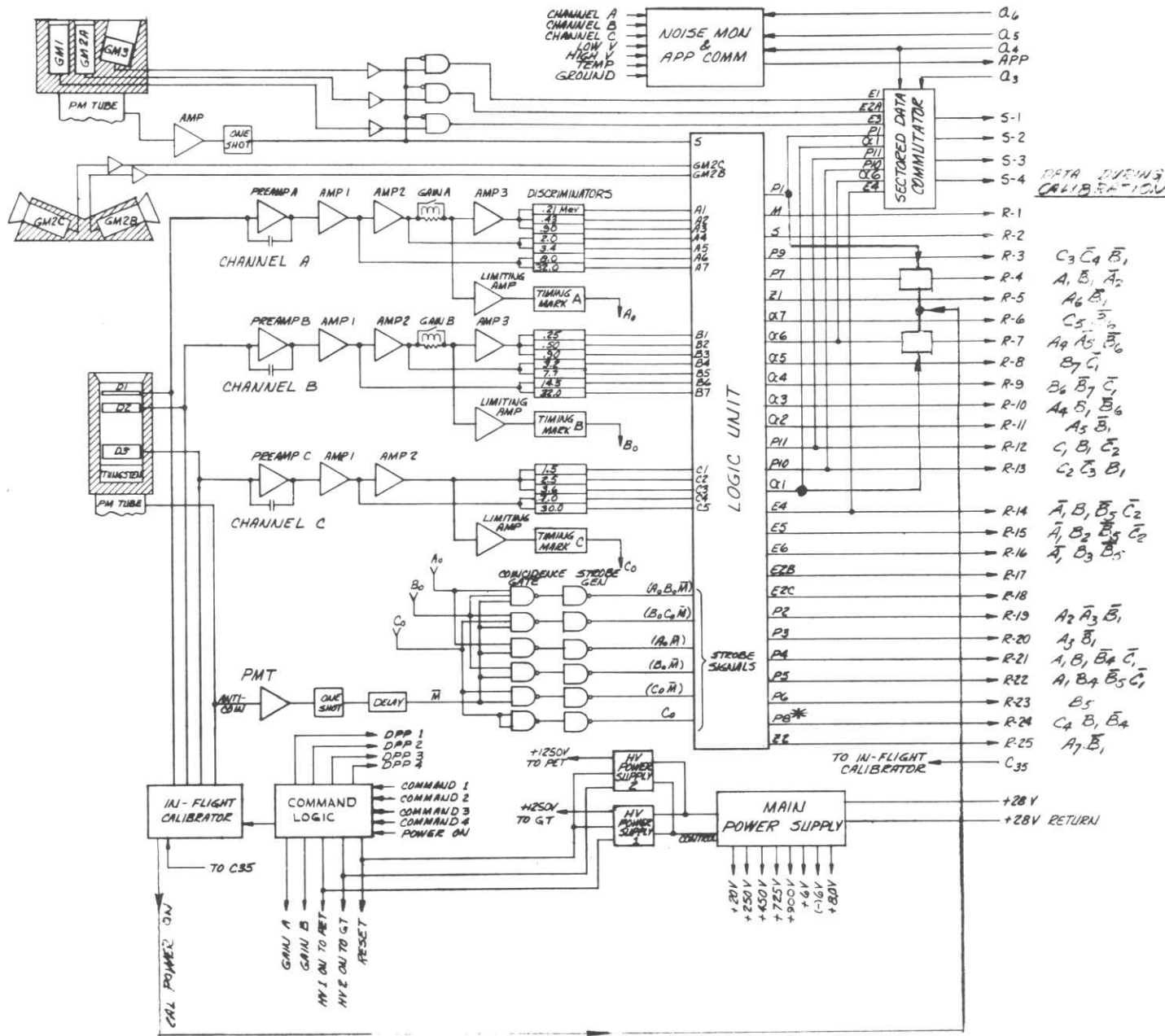


Figure 1. CEME BLOCK DIAGRAM

\* DURING NORMAL DATA TAKING PERIODS  
R24 CONTAINS  $C_4 \bar{B}_1 \bar{B}_4$

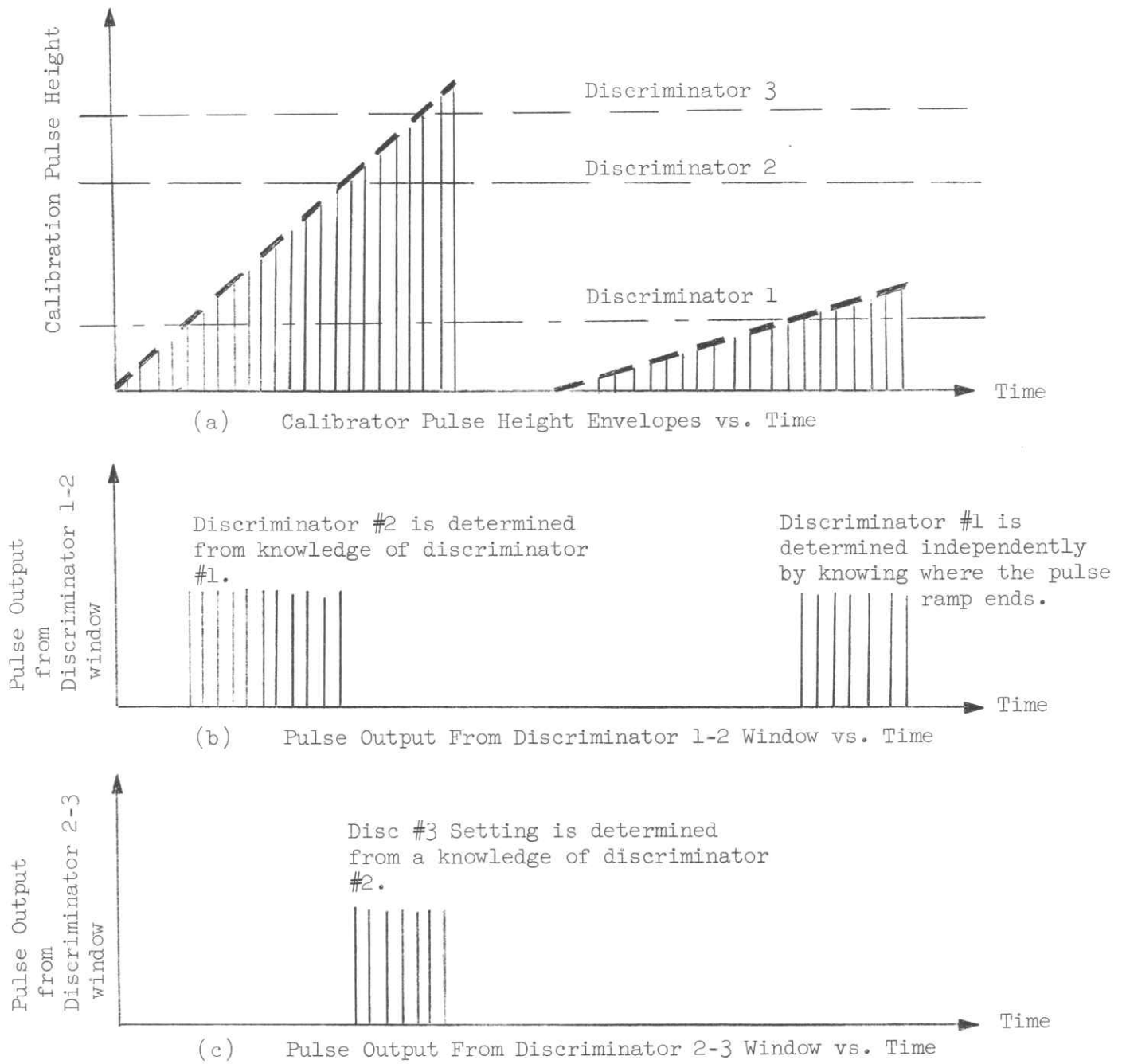


Figure 2.

Obtaining Discriminator Level Calibration from Window Data.

Figure 3.

Listing of Calibration Data Contained  
 in the CPME Rate Registers and Location  
 of the Calibration Count in the TM Readout.

To obtain a calibration of the discriminator listed below	Drive the channel in this column	With a pulse ramp ranging from...	And read the rate register no., resolution	Which is described by the logic in this column	And which contains the following nominal calibration counts	And is read out in page, snap shot
A <sub>1</sub>	A and C	0-400 KeV	R <sub>4</sub> , 3/4%	A <sub>1</sub> $\bar{B}_1\bar{A}_2$	Y <sub>A1</sub> = 950, .68%	3 1
A <sub>2</sub>	A and C	0-1.2 MeV	R <sub>4</sub> , 3/4%	A <sub>1</sub> $\bar{B}_1\bar{A}_2$	Y <sub>A2</sub> = 367, .73%	2 1
A <sub>3</sub>	A and C	0-1.2 MeV	R <sub>19</sub> , 3%	A <sub>2</sub> $\bar{A}_3\bar{B}_1$	Y <sub>A3</sub> = 783, 1.95%	2 1
A <sub>4</sub>	A and B	0-4.0 MeV	R <sub>10</sub> , 3/4%	A <sub>4</sub> B <sub>1</sub> $\bar{B}_6$	Y <sub>A4</sub> = 1000, 3/4%	1 3
A <sub>5</sub>	A and B	0-4.0 MeV	R <sub>7</sub> , 3/4%	A <sub>4</sub> $\bar{A}_5\bar{B}_6$	Y <sub>A5</sub> = 700, 3/4%	1 3
A <sub>6</sub>	A and C	0-40 MeV	R <sub>5</sub> , 3/4%	A <sub>6</sub> $\bar{B}_1$	Y <sub>A6</sub> = 1600, 3%	0 1
A <sub>7</sub>	A and C	0-40 MeV	R <sub>25</sub> , 3%	A <sub>7</sub> $\bar{B}_1$	Y <sub>A7</sub> = 400, 3/4%	0 1
B <sub>1</sub>	B and C	0-400 KeV	R <sub>14</sub> , 3%	$\bar{A}_1B_1\bar{B}_5\bar{C}_2$	Y <sub>B1</sub> = 750 1.8%	3 3
B <sub>2</sub>	B and C	0-1.2 MeV	R <sub>15</sub> , 3%	$\bar{A}_1B_2\bar{B}_5\bar{C}_2$	Y <sub>B2</sub> = 1167, 4.2%	2 3
B <sub>3</sub>	B and C	0-1.2 MeV	R <sub>16</sub> , 3%	$\bar{A}_1B_3\bar{B}_5$	Y <sub>B3</sub> = 500, 1.17%	2 3
B <sub>4</sub>	A and B	0-4.0 MeV	R <sub>22</sub> , 3%	A <sub>1</sub> B <sub>4</sub> $\bar{B}_5\bar{C}_1$	Y <sub>B4</sub> = 400, 3/4%	1 3
B <sub>5</sub>	A and B	0-40 MeV	R <sub>22</sub> , 3%	A <sub>1</sub> B <sub>4</sub> $\bar{B}_5\bar{C}_1$	Y <sub>B5</sub> = 225, 1.65%	0 3
B <sub>6</sub>	A and B	0-40 MeV	R <sub>10</sub> , 3/4%	A <sub>4</sub> B <sub>1</sub> $\bar{B}_6$	Y <sub>B6</sub> = 625, 3/4%	0 3
B <sub>7</sub>	A and B	0-40 MeV	R <sub>8</sub> , 3/4%	B <sub>7</sub> C <sub>1</sub>	Y <sub>B7</sub> = 400, 3/16%	0 3
C <sub>1</sub>	B and C	0-4.0 MeV	R <sub>12</sub> , 3%	C <sub>1</sub> $\bar{B}_1\bar{C}_2$	Y <sub>C1</sub> = 500, 6.7%	1 1
C <sub>2</sub>	B and C	0-4.0 MeV	R <sub>14</sub> , 3%	$\bar{A}_1B_1\bar{B}_5\bar{C}_2$	Y <sub>C2</sub> = 1125, 2.9%	1 1

Note: Each ramp has 2000 calibration pulses and for this chart the ramp waveform is considered perfect. i.e., Resolution is the encoder's.



Figure 3 (Cont.)

To obtain a calibration of the discriminator listed below	Drive the channel in this column	With a pulse ramp ranging from...	And read the rate register no., resolution	Which is described by the logic in this column	And which contains the following nominal calibration counts	And is read out in page, snapshot
$C_3$	B and C	0-4.0 MeV	$R_{13}$ , 3%	$C_2 \bar{C}_3 B_1$	$Y_{C3} = 550, 3\%$	1 1
$C_4$	A and C	0-40 MeV	$R_3$ , 3/4%	$C_3 \bar{C}_4 B_1$	$Y_{C4} = 170, 1.9\%$	0 1
$C_5$	A and C	0-40 MeV	$R_6$ , 3/4%	$C_5 \bar{B}_6$	$Y_{C5} = 500, 1.2\%$	0 1

DISCRIMINATOR SETTINGS

$A_1 = 210$ KeV	$B_1 = 250$ KeV	$C_1 = 1.5$ MeV
$A_2 = 430$ KeV	$B_2 = 500$ KeV	$C_2 = 2.5$ MeV
$A_3 = 900$ KeV	$B_3 = 900$ KeV	$C_3 = 3.6$ MeV
$A_4 = 2.0$ MeV	$B_4 = 3.2$ MeV	$C_4 = 7.0$ MeV
$A_5 = 3.4$ MeV	$B_5 = 7.7$ MeV	$C_5 = 30.0$ MeV
$A_6 = 8.0$ MeV	$B_6 = 14.5$ MeV	
$A_7 = 32.0$ MeV	$B_7 = 32.0$ MeV	

Note: Each ramp has 2000 calibration pulses and for this chart the ramp waveform is considered perfect. i.e., Resolution is the encoder's.

Figure 4.

Equations Used To Determine  
 Discriminator Levels.

$$\begin{aligned}
 A_1 \text{ (KeV)} &= 400 - 0.2 Y_{A1} + D_{A1} \\
 A_2 \text{ (KeV)} &= 400 - 0.2 Y_{A1} + 0.6 Y_{A2} + D_{A2} \\
 A_3 \text{ (KeV)} &= 400 - 0.2 Y_{A1} + 0.6 (Y_{A2} + Y_{A3}) + D_{A3} \\
 A_4 \text{ (MeV)} &= 4.0 - 2 \times 10^{-3} Y_{A4} + D_{A4} \\
 A_5 \text{ (MeV)} &= 4.0 - 2 \times 10^{-3} (Y_{A4} - Y_{A5}) + D_{A5} \\
 A_6 \text{ (MeV)} &= 40.0 - 20 \times 10^{-3} Y_{A6} + D_{A6} \\
 A_7 \text{ (MeV)} &= 40.0 - 20 \times 10^{-3} Y_{A7} + D_{A7} \\
 B_1 \text{ (KeV)} &= 400 - 0.2 Y_{B1} + D_{B1} \\
 B_2 \text{ (KeV)} &= 1200 - 0.6 Y_{B2} + D_{B2} \\
 B_3 \text{ (KeV)} &= 1200 - 0.6 Y_{B3} + D_{B3} \\
 B_4 \text{ (MeV)} &= 4.0 - 2 \times 10^{-3} Y_{B4} + D_{B4} \\
 B_5 \text{ (MeV)} &= 4.0 - 2 \times 10^{-3} Y_{B4} + 20 \times 10^{-3} Y_{B5} + D_{B5} \\
 B_6 \text{ (MeV)} &= 4.0 - 2 \times 10^{-3} Y_{A4} + 20 \times 10^{-3} Y_{B6} + D_{B6} \\
 B_7 \text{ (MeV)} &= 40.0 - 20 \times 10^{-3} Y_{B7} + D_{B7} \\
 C_1 \text{ (MeV)} &= [400 - 0.2 Y_{B1} + 2.0 (Y_{C2} - Y_{C1})] \times 10^{-3} + D_{C1} \\
 C_2 \text{ (MeV)} &= (400 - 0.2 Y_{B1} + 2.0 Y_{C2}) \times 10^{-3} + D_{C2} \\
 C_3 \text{ (MeV)} &= [400 - 0.2 Y_{B1} + 2.0 (Y_{C2} + Y_{C3})] \times 10^{-3} + D_{C3} \\
 C_4 \text{ (MeV)} &= [400 - 0.2 Y_{B1} + 2.0 (Y_{C2} + Y_{C3} + Y_{C4})] \times 10^{-3} + D_{C4} \\
 C_5 \text{ (MeV)} &= 40.0 - 20 \times 10^{-3} Y_{C5} - D_{C5}
 \end{aligned}$$

- Note: 1.  $D_i$  is a constant to correct for small variations between amplifiers.  
 2.  $Y_i$  is the calibration count for detector  $i$  (see figure 3).  
 3. Multiply all equations by  $f(T) = \frac{\text{Attenuation at } 25^\circ\text{C}}{\text{Attenuation at } T}$ .

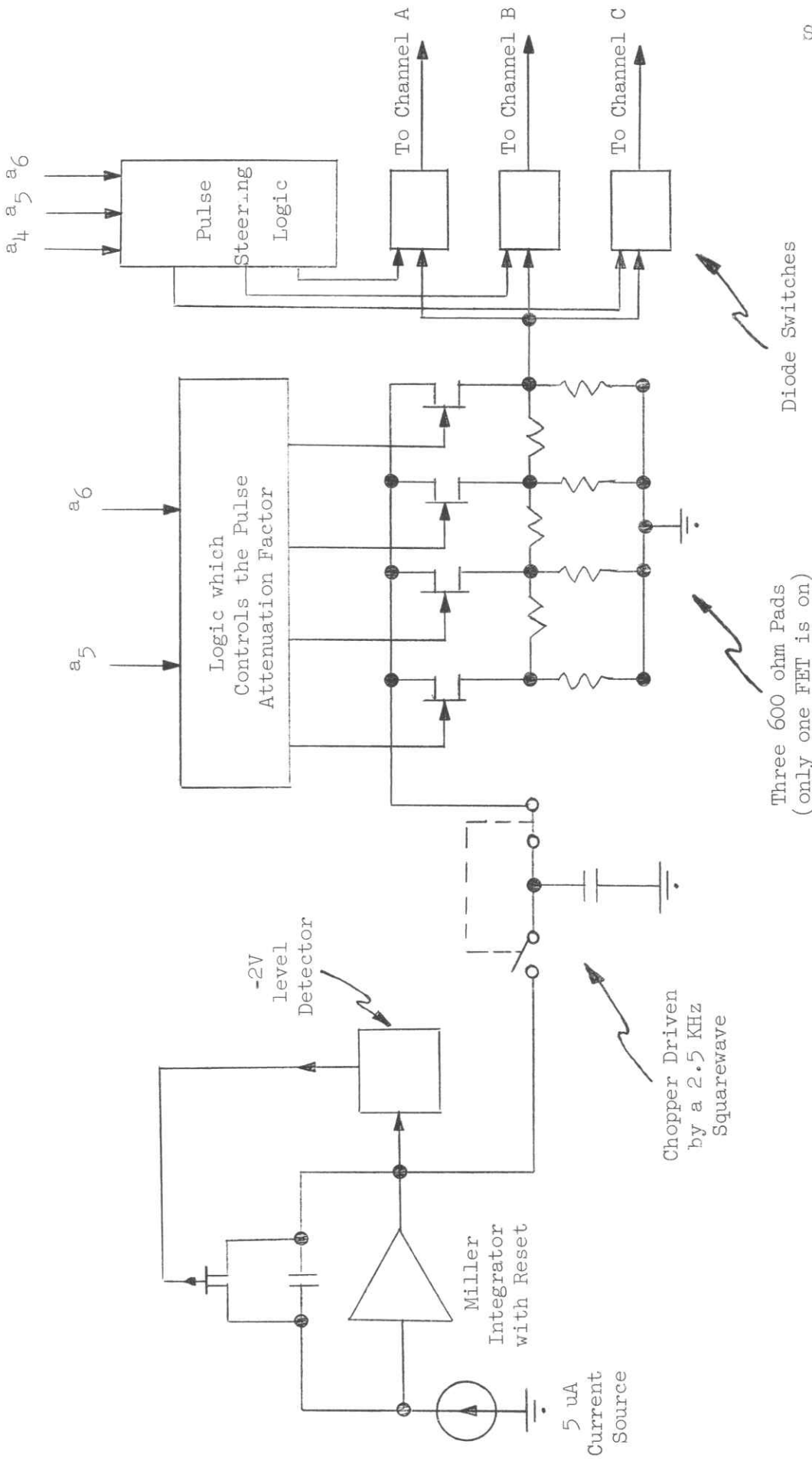
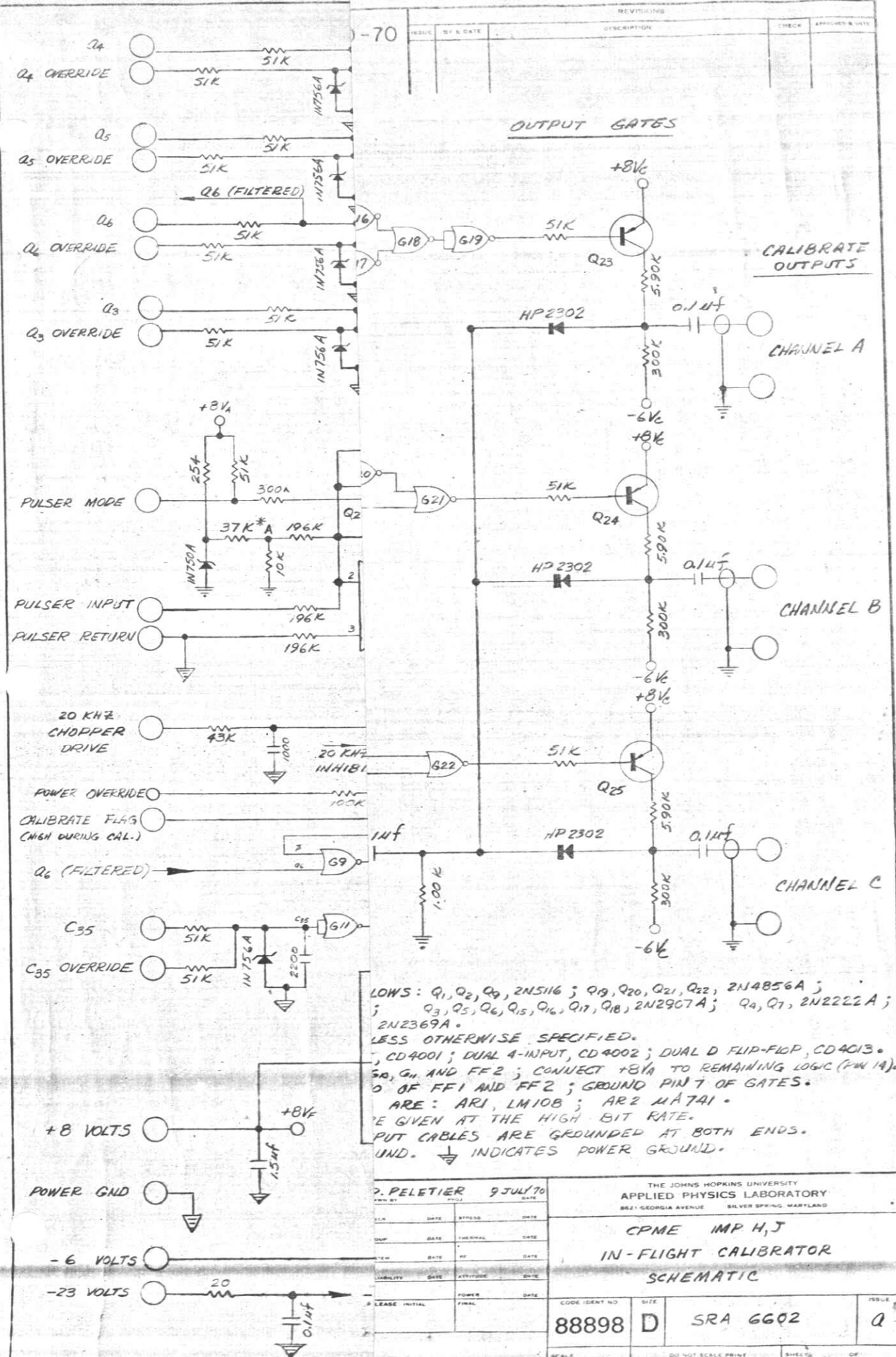


Figure 5  
Block Diagram of the CPME In-Flight Calibrator



REVISIONS		CHECK	APPROVED & DATE
ISSUE	BY & DATE	DESCRIPTION	

LOWS: Q1, Q2, Q9, 2N5116; Q19, Q20, Q21, Q22, 2N4856A;  
 ; Q3, Q5, Q6, Q15, Q16, Q17, Q18, 2N2967A; Q4, Q7, 2N2222A;  
 2N2369A.  
 LESS OTHERWISE SPECIFIED.  
 CD4001; DUAL 4-INPUT, CD4002; DUAL D FLIP-FLOP, CD4013.  
 5A, Q4 AND FF2; CONNECT +8V TO REMAINING LOGIC (PIN 14)  
 0 OF FF1 AND FF2; GROUND PIN 7 OF GATES.  
 ARE: AR1, LM108; AR2 M741.  
 E GIVEN AT THE HIGH BIT RATE.  
 PUT CABLES ARE GROUNDED AT BOTH ENDS.  
 UND. ⚡ INDICATES POWER GROUND.

P. PELETIER 9 JULY 70	
DATE	STRESS
DATE	THERMAL
DATE	RF
DATE	ATTITUDE
DATE	POWER
INITIAL	FINAL

THE JOHNS HOPKINS UNIVERSITY APPLIED PHYSICS LABORATORY 821 GEORGIA AVENUE SILVER SPRING, MARYLAND			
CPME IMP H, J IN-FLIGHT CALIBRATOR SCHEMATIC			
CODE IDENT NO	SIZE	ISSUE	
88898	D	SRA 6602	Q
SCALE	DO NOT SCALE PRINT	SHEET	OF

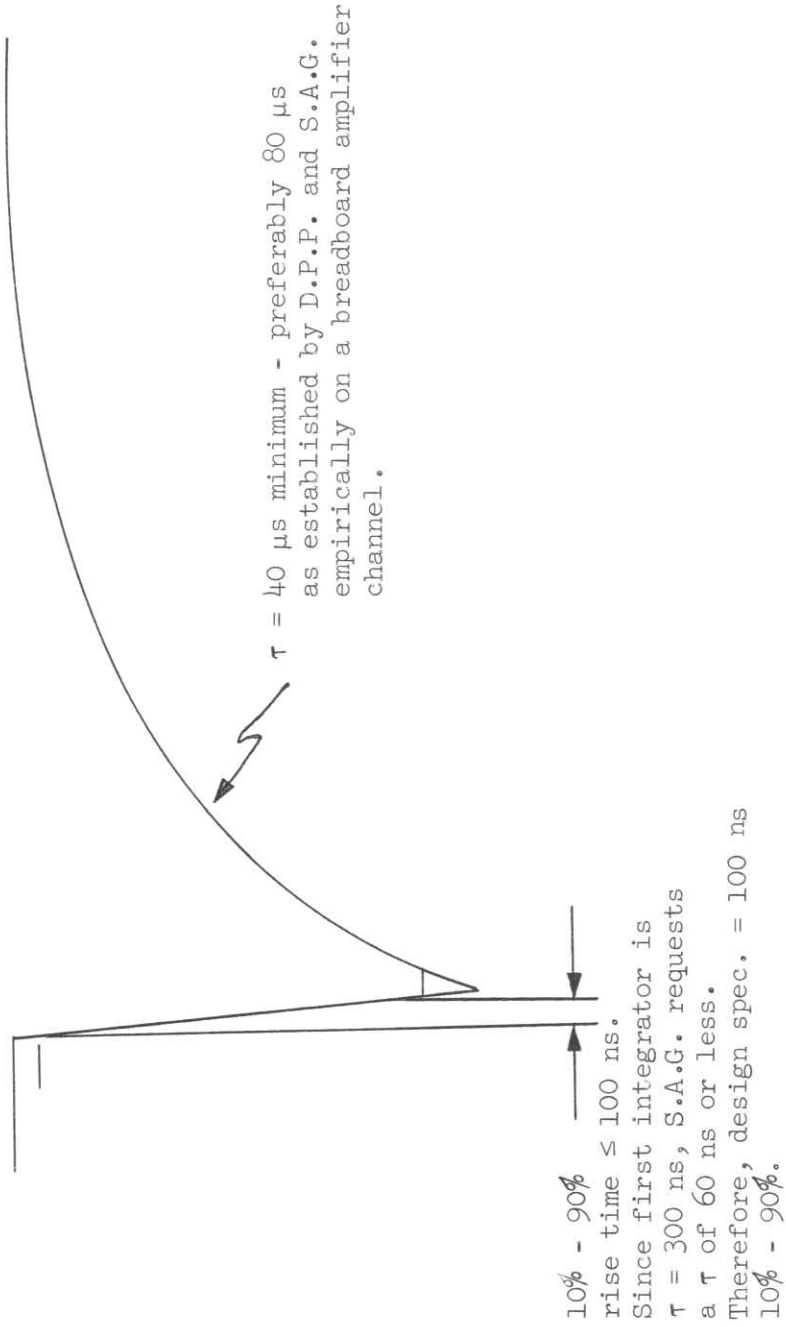


Figure 7.  
CPME In-Flight Calibrator Pulse Specifications

Leakage currents limit the Miller charging current to no less than 5 ua.

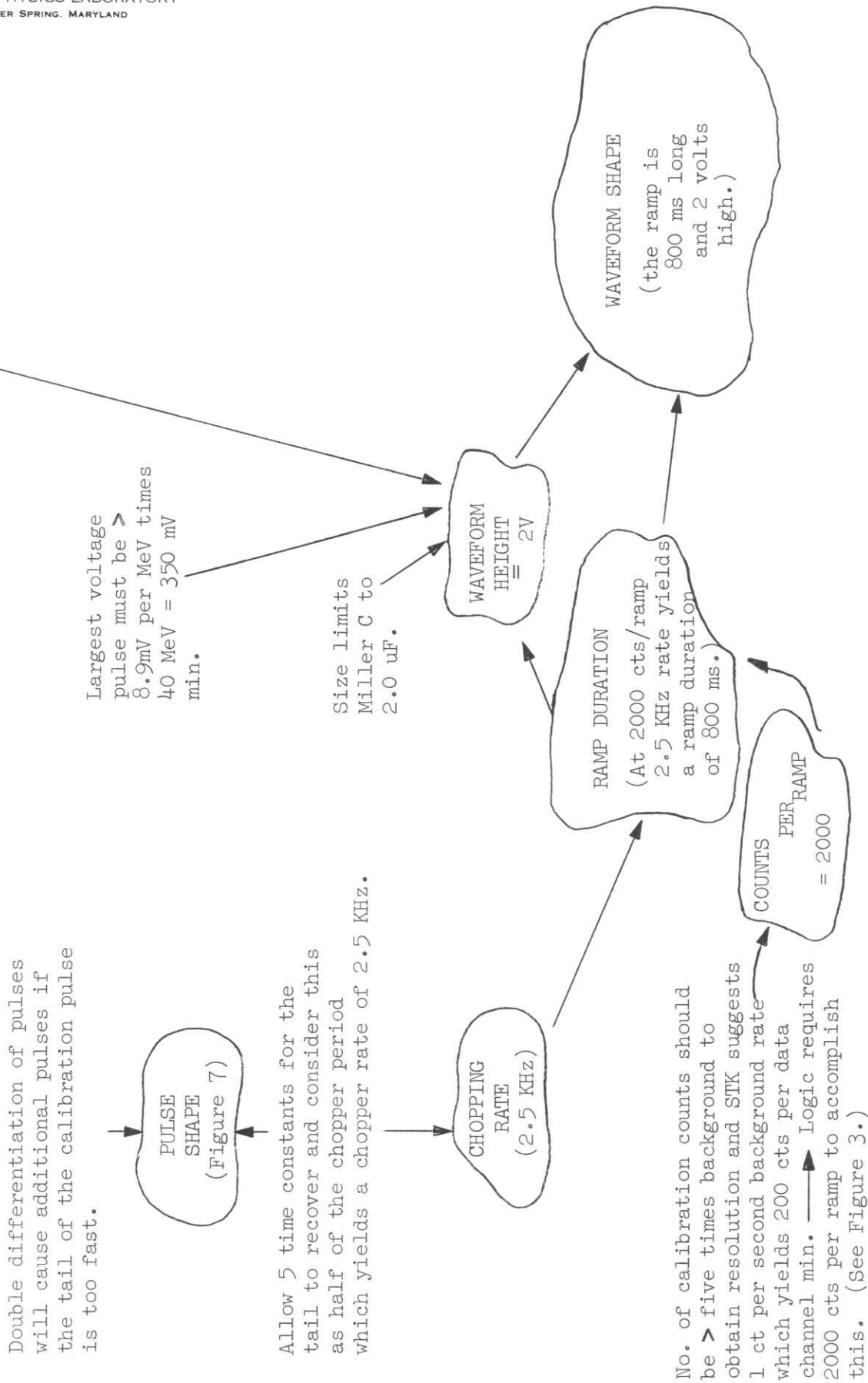
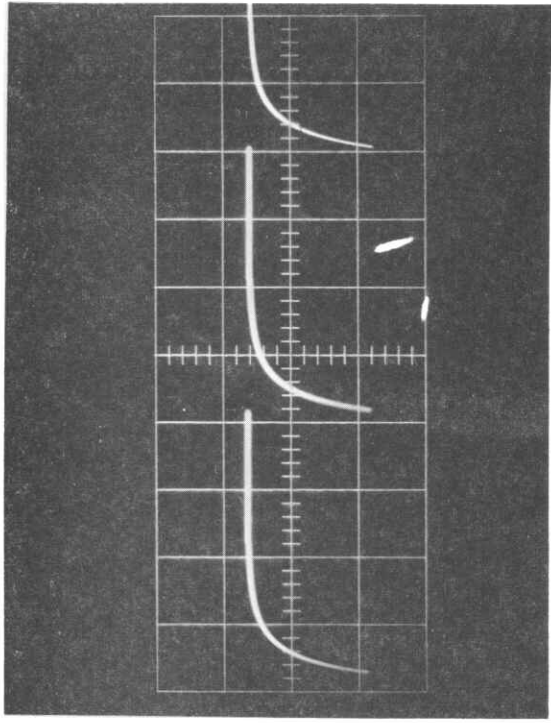
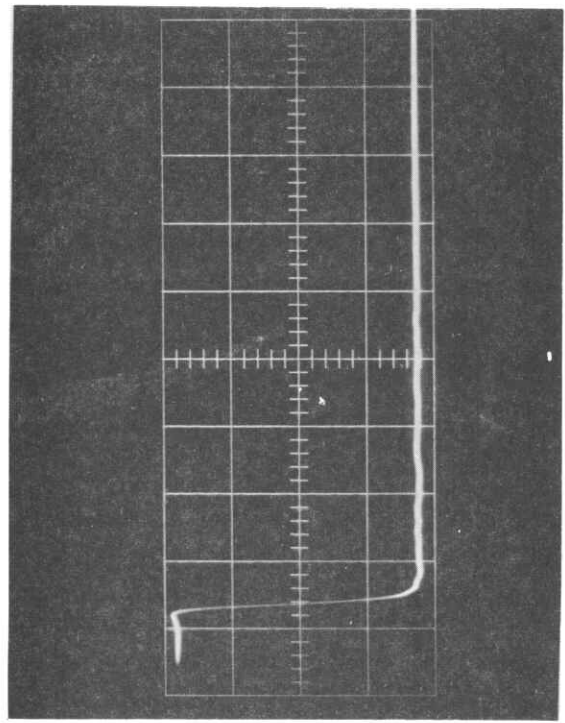


Figure 8. CPME Inflight Calibrator .... Origin of Constraints



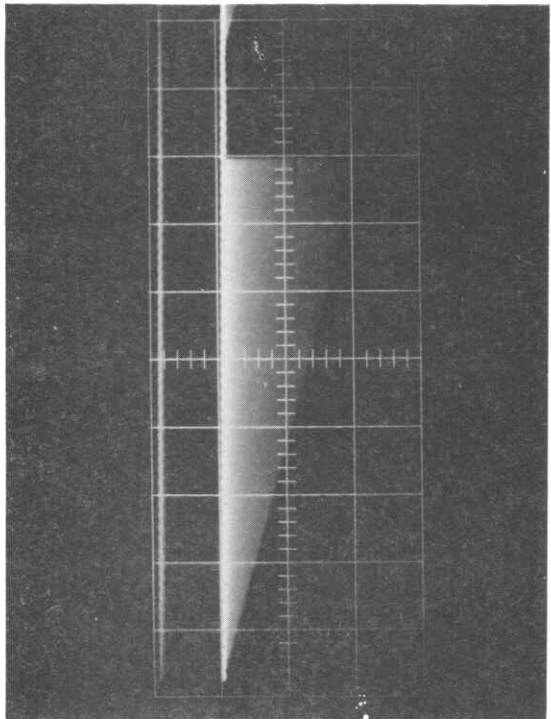
100  $\mu$ s/Div.

1 volt/Div.



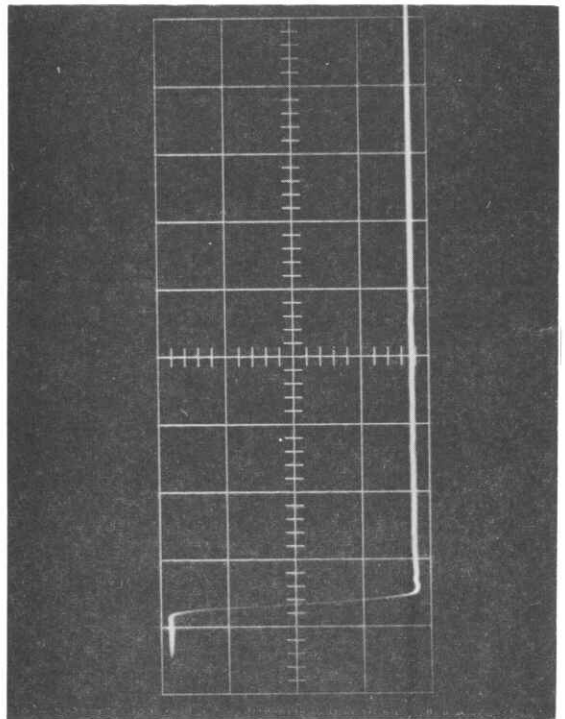
100 ns/Div.

50 mV/Div.



100 ms/Div.

1 volt/Div.



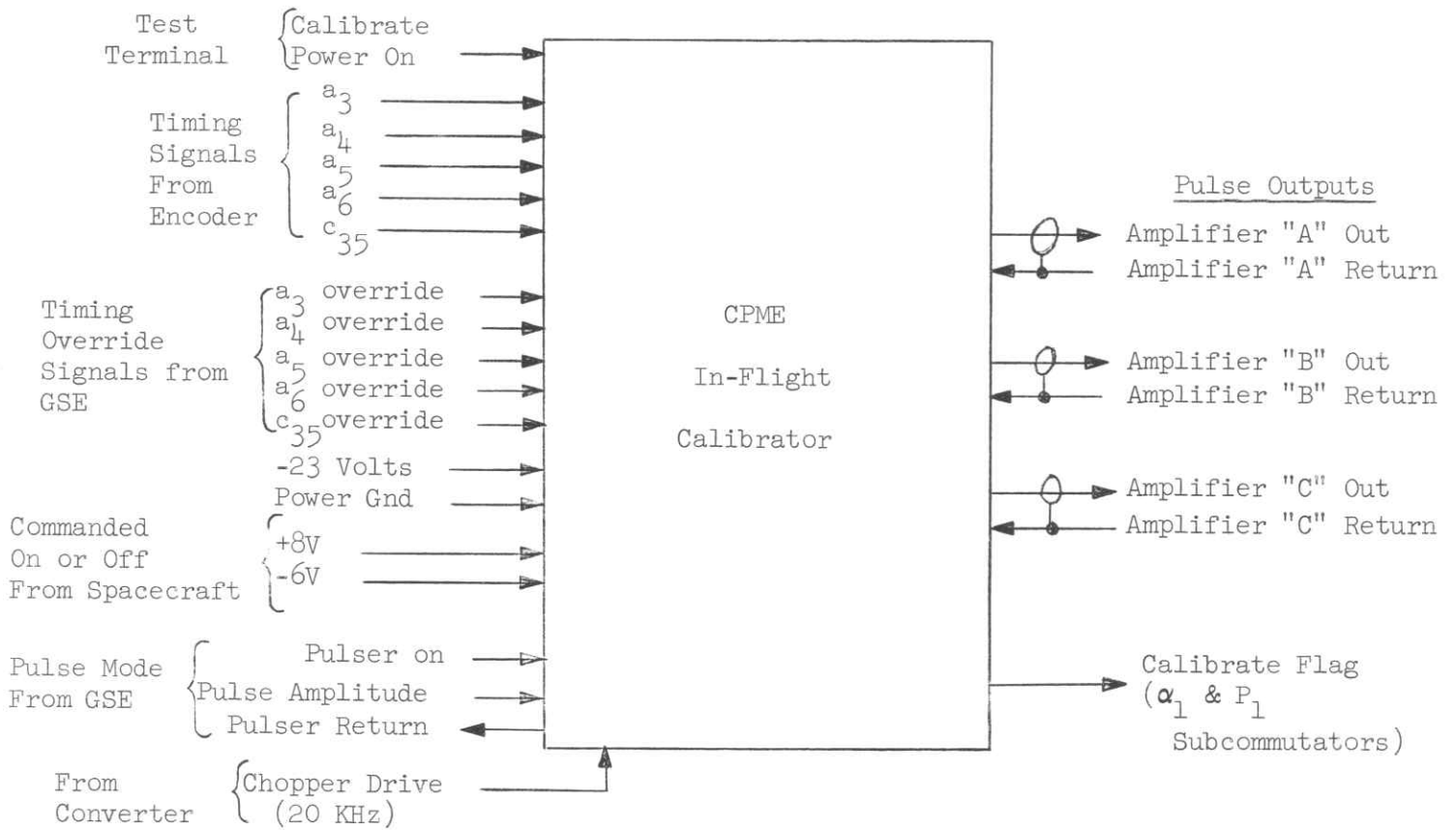
100 ns/Div.

0.5 volts/Div.

Figure 9. Pulse Waveforms at Chopper Output Before Attenuation

Figure 10.

Interface Diagram For  
 The CPME In-Flight Calibrator





SLP-570-70 (a)  
8 October 1970

TO: Distribution

FROM: D. P. Peletier

SUBJECT: Revisions to SLP-570-70, "CPME In-Flight Calibrator Design".

Included with this memo are revised figures 3 and 4 for the subject memo. The changes contained therein reflect the impact of logic revisions listed in SLP-588-70, "Channel Logic Revisions for Charged Particle Measurement Experiment".

The CPME calibrator changes include running the second highest ramp to 6.0 MeV instead of 4.0 MeV to obtain the  $C_3$  level which is now 4.8 MeV instead of 3.6 MeV, and obtaining  $A_5$  and  $C_1$  calibration data from a 40 MeV ramp into channels A and C rather than a 4 MeV ramp into channels B and C or A and B. In addition, changes on the logic board were required which in effect change the logic equations of registers  $R_3$  and  $R_6$  during a calibration to obtain  $C_4$  and  $C_5$  discriminator data. The resulting calibration counts and % resolution of discriminators are listed on page 2.

<u>Discriminators of Interest</u>	<u>Are Now</u>		<u>Use to Be</u>	
	<u>(Counts)</u>	<u>(% Res.)</u>	<u>(Counts)</u>	<u>(% Res.)</u>
A <sub>4</sub>	1333	1.5%	1000	0.75%
A <sub>5</sub>	70	1.47%	700	0.75%
B <sub>2</sub>	1233	4.8%	1167	4.2%
B <sub>3</sub>	583	1.24%	500	1.17%
B <sub>4</sub>	800	2.0%	400	0.75%
B <sub>6</sub>	697	0.77%	625	0.75%
C <sub>1</sub>	75	9.0%	500	6.7%
C <sub>2</sub>	916	3.0%	1125	2.9%
C <sub>3</sub>	600	3.0%	550	3.0%
C <sub>4</sub>	145	2.15%	170	1.9%

  
D. P. Peletier

DPP:jgs  
Distribution:  
COBostrom  
TPArmstrong  
RCCole  
CCunningham  
SAGary  
AFHogrefe  
SMKrimigis  
RThompson

JHCrawford  
SLP File  
Archives (2)

Figure 3.

Listing of Calibration Data Contained  
in the CPME Rate Registers and Location  
of the Calibration Count in the TM Readout.

To obtain a calibration of the discriminator listed below	Drive the channel in this column	With a pulse ramp ranging from...	And read the rate register no., resolution	Which is described by the logic in this column	And which contains the following nominal calibration counts	And is read out in page, snapshot
A <sub>1</sub>	A and C	0-400 KeV	R <sub>4</sub> , 3/4%	A <sub>1</sub> $\bar{B}_1\bar{A}_2$	Y <sub>A1</sub> = 950, .68%	3 1
A <sub>2</sub>	A and C	0-1.2 MeV	R <sub>4</sub> , 3/4%	A <sub>1</sub> $\bar{B}_1\bar{A}_2$	Y <sub>A2</sub> = 367, .73%	2 1
A <sub>3</sub>	A and C	0-1.2 MeV	R <sub>19</sub> , 3%	A <sub>2</sub> $\bar{A}_3\bar{B}_1$	Y <sub>A3</sub> = 783, 1.95%	2 1
A <sub>4</sub>	A and B	0-6.0 MeV	R <sub>10</sub> , 3/4%	A <sub>4</sub> B <sub>1</sub> $\bar{B}_6$	Y <sub>A4</sub> = 1333, 1.5%	1 3
*A <sub>5</sub>	A and C	0-40 MeV	R <sub>7</sub> , 3/4%	A <sub>4</sub> $\bar{A}_5\bar{B}_1$	Y <sub>A5</sub> = 70 , 1.47%	1 3
A <sub>6</sub>	A and C	0-40 MeV	R <sub>5</sub> , 3/4%	A <sub>6</sub> $\bar{B}_1$	Y <sub>A6</sub> = 1600, 3%	0 1
A <sub>7</sub>	A and C	0-40 MeV	R <sub>25</sub> , 3%	A <sub>7</sub> $\bar{B}_1$	Y <sub>A7</sub> = 400, 3/4%	0 1
B <sub>1</sub>	B and C	0-400 KeV	R <sub>14</sub> , 3%	$\bar{A}_1\bar{B}_1\bar{B}_5\bar{C}_2$	Y <sub>B1</sub> = 750 1.8%	3 3
B <sub>2</sub>	B and C	0-1.2 MeV	R <sub>15</sub> , 3%	$\bar{A}_1\bar{B}_2\bar{B}_5\bar{C}_2$	Y <sub>B2</sub> = 1233, 4.8%	2 3
*B <sub>3</sub>	B and C	0-1.2 MeV	R <sub>16</sub> , 3%	A <sub>1</sub> B <sub>3</sub> $\bar{B}_5\bar{C}_2$	Y <sub>B3</sub> = 583, 1.24%	2 3
B <sub>4</sub>	A and B	0-6.0 MeV	R <sub>22</sub> , 3%	A <sub>1</sub> B <sub>4</sub> $\bar{B}_5\bar{C}_1$	Y <sub>B4</sub> = 800, 2.0%	1 3
B <sub>5</sub>	A and B	0-40 MeV	R <sub>22</sub> , 3%	A <sub>1</sub> B <sub>4</sub> $\bar{B}_5\bar{C}_1$	Y <sub>B5</sub> = 225, 1.65%	0 3
B <sub>6</sub>	A and B	0-40 MeV	R <sub>10</sub> , 3/4%	A <sub>4</sub> B <sub>1</sub> $\bar{B}_6$	Y <sub>B6</sub> = 697, .77%	0 3
*B <sub>7</sub>	A and B	0-40 MeV	R <sub>8</sub> , 3/4%	B <sub>7</sub> $\bar{C}_1A_2$	Y <sub>B7</sub> = 400, 3/16%	0 3
*C <sub>1</sub>	A and C	0-40 MeV	R <sub>12</sub> , 3%	C <sub>1</sub> $\bar{B}_3\bar{C}_2$	Y <sub>C1</sub> = 75, 9.0%	1 1
C <sub>2</sub>	B and C	0-6.0 MeV	R <sub>14</sub> , 3%	$\bar{A}_1\bar{B}_1\bar{B}_5\bar{C}_2$	Y <sub>C2</sub> = 916, 3%	1 1

Note: Each ramp has 2000 calibration pulses and for this chart the ramp waveform is considered perfect. i.e., Resolution is the encoder's.

\* Changed according to SLP-588-70.

Figure 3 (Cont.)

To obtain a calibration of the discriminator listed below	Drive the channel in this column	With a pulse ramp ranging from...	And read the rate register no., resolution	Which is described by the logic in this column	And which contains the following nominal calibration counts	And is read out in page, snapshot
* C <sub>3</sub>	B and C	0-6.0 MeV	R <sub>13</sub> , 3%	C <sub>2</sub> $\bar{C}_3$ B <sub>3</sub>	Y <sub>C3</sub> = 600, 3%	1 1
& * C <sub>4</sub>	A and C	0-40 MeV	R <sub>3</sub> , 3/4%	C <sub>3</sub> $\bar{C}_4$	Y <sub>C4</sub> = 145, 2.15%	0 1
∩ * C <sub>5</sub>	A and C	0-40 MeV	R <sub>6</sub> , 3/4%	C <sub>5</sub> $\bar{B}_6$	Y <sub>C5</sub> = 500, 1/4%	0 1

DISCRIMINATOR SETTINGS

A <sub>1</sub> = 210 KeV	B <sub>1</sub> = 250 KeV	C <sub>1</sub> = 1.5 MeV
A <sub>2</sub> = 430 KeV	* B <sub>2</sub> = 460 KeV	* C <sub>2</sub> = 3.0 MeV
A <sub>3</sub> = 900 KeV	* B <sub>3</sub> = 850 KeV	* C <sub>3</sub> = 4.8 MeV
A <sub>4</sub> = 2.0 MeV	* B <sub>4</sub> = 3.6 MeV	* C <sub>4</sub> = 7.7 MeV
A <sub>5</sub> = 3.4 MeV	B <sub>5</sub> = 7.7 MeV	C <sub>5</sub> = 30.0 MeV
A <sub>6</sub> = 8.0 MeV	* B <sub>6</sub> = 14.2 MeV	
A <sub>7</sub> = 32.0 MeV	B <sub>7</sub> = 32.0 MeV	

Note: Each ramp has 2000 calibration pulses and for this chart the ramp waveform is considered perfect. i.e., Resolution is the encoder's.

\* Changed according to SLP-588-70

& The normal logic in R<sub>3</sub> is C<sub>3</sub> $\bar{C}_4$ B<sub>3</sub> which is changed to C<sub>3</sub> $\bar{C}_4$  during a calibration.

∩ The normal logic in R<sub>6</sub> is C<sub>5</sub> $\bar{B}_6$ B<sub>4</sub> which is changed to C<sub>5</sub> $\bar{B}_6$  during calibration.

Figure 4.

Equations Used To Determine  
 Discriminator Levels.

$$\begin{aligned}
 A_1 \text{ (KeV)} &= 400 - 0.2 Y_{A1} + D_{A1} \\
 A_2 \text{ (KeV)} &= 400 - 0.2 Y_{A1} + 0.6 Y_{A2} + D_{A2} \\
 A_3 \text{ (KeV)} &= 400 - 0.2 Y_{A1} + 0.6 (Y_{A2} + Y_{A3}) + D_{A3} \\
 A_4 \text{ (MeV)} &= 6.0 - 3 \times 10^{-3} Y_{A4} + D_{A4} \\
 * A_5 \text{ (MeV)} &= 6.0 - 3 \times 10^{-3} Y_{A4} + 20 \times 10^{-3} Y_{A5} + D_{A5} \\
 A_6 \text{ (MeV)} &= 40.0 - 20 \times 10^{-3} Y_{A6} + D_{A6} \\
 A_7 \text{ (MeV)} &= 40.0 - 20 \times 10^{-3} Y_{A7} + D_{A7} \\
 B_1 \text{ (KeV)} &= 400 - 0.2 Y_{B1} + D_{B1} \\
 B_2 \text{ (KeV)} &= 1200 - 0.6 Y_{B2} + D_{B2} \\
 B_3 \text{ (KeV)} &= 1200 - 0.6 Y_{B3} + D_{B3} \\
 B_4 \text{ (MeV)} &= 6.0 - 3 \times 10^{-3} Y_{B4} + D_{B4} \\
 B_5 \text{ (MeV)} &= 6.0 - 3 \times 10^{-3} Y_{B4} + 20 \times 10^{-3} Y_{B5} + D_{B5} \\
 B_6 \text{ (MeV)} &= 6.0 - 3 \times 10^{-3} Y_{A4} + 20 \times 10^{-3} Y_{B6} + D_{B6} \\
 B_7 \text{ (MeV)} &= 40.0 - 20 \times 10^{-3} Y_{B7} + D_{B7} \\
 * C_1 \text{ (MeV)} &= [400 - 0.2 Y_{B1} + 6.0 Y_{C2} - 20 Y_{C1}] \times 10^{-3} + D_{C1} \\
 C_2 \text{ (MeV)} &= (400 - 0.2 Y_{B1} + 2.0 Y_{C2}) \times 10^{-3} + D_{C2} \\
 C_3 \text{ (MeV)} &= [400 - 0.2 Y_{B1} + 2.0 (Y_{C2} + Y_{C3})] \times 10^{-3} + D_{C3} \\
 C_4 \text{ (MeV)} &= [400 - 0.2 Y_{B1} + 2.0 (Y_{C2} + Y_{C3} + Y_{C4})] \times 10^{-3} + D_{C4} \\
 C_5 \text{ (MeV)} &= 40.0 - 20 \times 10^{-3} Y_{C5} - D_{C5}
 \end{aligned}$$

- Note: 1.  $D_i$  is a constant to correct for small variations between amplifiers.  
 2.  $Y_i$  is the calibration count for detector  $i$  (see figure 3).  
 3. Multiply all equations by  $f(T) = \frac{\text{Attenuation at } 25^\circ\text{C}}{\text{Attenuation at } T}$ .

\* Changed according to SLP-588-70

*Dr. Armstrong*

SLP-570-70 (b)  
May 12, 1971

TO: Distribution  
FROM: D. P. Peletier  
SUBJECT: Revision (b) to SLP-570-70, "CPME In-Flight Calibrator Design".

Included with this memo are revised figures 3 and 4 for the subject memo. The changes contained herein reflect recent discriminator changes as well as corrected equations as well as the impact of logic revisions listed in SLP-588-70, "Channel Logic Revisions for Charged Particle Measurement Experiment". The attenuation temperature coefficient is also specified for your information.

*Daniel P. Peletier*  
D. P. Peletier

DPP:dgb  
Distribution  
COBostrom  
TPArmstrong  
RCCole  
CCunningham  
SAGary  
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RThompson  
JHCrawford  
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Archives (2)

Figure 3.

Listing of Calibration Data Contained  
in the CPME Rate Registers and Location  
of the Calibration Count in the TM Readout.

To obtain a calibration of the discriminator listed below	Drive the channel in this column	With a pulse ramp ranging from...	And read the rate register no., resolution	Which is described by the logic in this column	And which contains the following nominal calibration counts	And is generated page, snapshot
A <sub>1</sub>	A and C	0-400 KeV	R <sub>4</sub> , 3/4%	A <sub>1</sub> $\bar{B}_1\bar{A}_2$	Y <sub>A1</sub> = 950, .68%	3 1
A <sub>2</sub>	A and C	0-1.2 MeV	R <sub>4</sub> , 3/4%	A <sub>1</sub> $\bar{B}_1\bar{A}_2$	Y <sub>A2</sub> = 367, .73%	2 1
A <sub>3</sub>	A and C	0-1.2 MeV	R <sub>19</sub> , 3%	A <sub>2</sub> $\bar{A}_3\bar{B}_1$	Y <sub>A3</sub> = 783, 1.95%	2 1
** A <sub>4</sub>	A and B	0-6.0 MeV	R <sub>10</sub> , 3/4%	A <sub>4</sub> B <sub>1</sub> $\bar{B}_6$	Y <sub>A4</sub> = 1163, 1.5%	1 3
** A <sub>5</sub>	A and C	0-40 MeV	R <sub>7</sub> , 3/4%	A <sub>4</sub> $\bar{A}_5\bar{B}_1$	Y <sub>A5</sub> = 100, 1.47%	1 3
** A <sub>6</sub>	A and C	0-40 MeV	R <sub>5</sub> , 3/4%	A <sub>6</sub> $\bar{B}_1$	Y <sub>A6</sub> = 1525, 3%	0 1
B <sub>1</sub>	B and C	0-400 KeV	R <sub>14</sub> , 3%	$\bar{A}_1B_1\bar{B}_5\bar{C}_2$	Y <sub>B1</sub> = 750 1.8%	3 3
B <sub>2</sub>	B and C	0-1.2 MeV	R <sub>15</sub> , 3%	$\bar{A}_1B_2\bar{B}_5\bar{C}_2$	Y <sub>B2</sub> = 1233, 4.8%	2 3
*B <sub>3</sub>	B and C	0-1.2 MeV	R <sub>16</sub> , 3%	$\bar{A}_1B_3\bar{B}_5\bar{C}_2$	Y <sub>B3</sub> = 583, 1.24%	2 (3)
B <sub>4</sub>	A and B	0-6.0 MeV	R <sub>22</sub> , 3%	A <sub>1</sub> B <sub>4</sub> $\bar{B}_5\bar{C}_1$	Y <sub>B4</sub> = 800, 2.0%	1 3
B <sub>5</sub>	A and B	0-40 MeV	R <sub>22</sub> , 3%	A <sub>1</sub> B <sub>4</sub> $\bar{B}_5\bar{C}_1$	Y <sub>B5</sub> = 225, 1.65%	0 3
B <sub>6</sub>	A and B	0-40 MeV	R <sub>10</sub> , 3/4%	A <sub>4</sub> B <sub>1</sub> $\bar{B}_6$	Y <sub>B6</sub> = 697, .77%	0 3
*C <sub>1</sub>	A and C	0-40 MeV	R <sub>12</sub> , 3%	C <sub>1</sub> $\bar{B}_3\bar{C}_2$	Y <sub>C1</sub> = 75, 9.0%	1 1
C <sub>2</sub>	B and C	0-6.0 MeV	R <sub>14</sub> , 3%	$\bar{A}_1B_1\bar{B}_5\bar{C}_2$	Y <sub>C2</sub> = 916, 3%	1 1

Note: Each ramp has 2000 calibration pulses and for this chart the ramp waveform is considered perfect. i.e., Resolution is the encoder's.

\* Changed according to SLP-588-70.

New discriminator setting as of revision (b) of this memo.

*I don't believe there's any way we can get R<sub>3</sub> readout. Yes. it gets read out in per 3 ss 1)*

*why not C needed?*

Figure 3 (Cont.)

To obtain a calibration of the discriminator listed below	Drive the channel in this column	With a pulse ramp ranging from...	And read the rate register no., resolution	Which is described by the logic in this column	And which contains the following nominal calibration counts	And is read out in page, snapshot
* C <sub>3</sub>	B and C	0-6.0 MeV	R <sub>13</sub> , 3%	C <sub>2</sub> $\bar{C}_3$ B <sub>3</sub>	Y <sub>C3</sub> = 600, 3%	1 1
& * C <sub>4</sub>	A and C	0-40 MeV	R <sub>3</sub> , 3/4%	C <sub>3</sub> $\bar{C}_4$	Y <sub>C4</sub> = 145, 2.15%	0 1

NOMINAL APPL-10

A <sub>1</sub> = 210 KeV	B <sub>1</sub> = 250 KeV	C <sub>1</sub> = 1.5 MeV
A <sub>2</sub> = 430 KeV	* B <sub>2</sub> = 460 KeV	* C <sub>2</sub> = 3.0 MeV
A <sub>3</sub> = 900 KeV	* B <sub>3</sub> = 850 KeV	* C <sub>3</sub> = 4.8 MeV
** A <sub>4</sub> = 2.5 MeV	* B <sub>4</sub> = 3.6 MeV	* C <sub>4</sub> = 7.7 MeV
** A <sub>5</sub> = 4.5 MeV	B <sub>5</sub> = 7.7 MeV	
** A <sub>6</sub> = 9.5 MeV	* B <sub>6</sub> = 14.2 MeV	

Note: Each ramp has 2000 calibration pulses and for this chart the ramp waveform is considered perfect. i.e., Resolution is the encoder's.

\* Changed according to SlP-588-70

& The normal logic in R<sub>3</sub> is C<sub>3</sub> $\bar{C}_4$ B<sub>3</sub> which is changed to C<sub>3</sub> $\bar{C}_4$  during a calibration.

\*\* New discriminator setting as of revision (b) of this memo.